MATH F251 Calculus I	Quiz 1	Fall 2019
Name (printed legibly):		
Directions: The quiz contains 20 the blank provided. For graphing	0 problems, and each problem is questions, a set of axes are provi	worth one point. Place your answer in ded. Calculators are not allowed.
For this quiz only, no partial crea	lit will be given.	
Please circle your instructor:	Leah Berman (10:30-11:30)	Jill Faudree (9:15-10:15)
1. Evaluate $4^{-3/2}$.		
2. Find the exact value of \log_2	$3\frac{1}{27}$.	
3. Find the exact value of sin($(4\pi/3).$	
4. Simplify the expression $\left(\frac{1}{2}\right)$	$\left(\frac{4x^3y}{x^5y^{7/2}}\right)^2$. Write your answer with	out negative exponents.

5. Write an equation in slope-intercept form y = mx + b for the line that passes through the points (-3,7) and (3,-9).

7. Use the graph of f(x) below to estimate the value(s) of x such that f(x) = 2.



8. For the function $f(x) = \frac{2}{x}$, find the expression f(12+h) - f(12). Simplify your answer and write your answer as a single fraction.

9. Given the piecewise defined function below, determine the value(s) of x such that f(x) = -20.

$$f(x) = \begin{cases} 2x+3 & x < 0\\ x^3 & x \ge 0 \end{cases}.$$

10. Solve for *x* in the equation $x^2 + 3x = 10$.

11. Solve for *x* in the equation $e^{4-7x} = \frac{1}{2}$.

12. Find all solutions to the equation $2\cos(\theta) = 1$ in the interval $[0, 2\pi]$.

13. A table of values for the function f(x) is given below. Use the table to determine $f^{-1}(5)$.

x	-5	0	5	10	15	20	25	30	35	
f(x)	100	50	25	10	5	2	1	-1	-1/5	

14. Solve the inequality $16 - x^2 \le 0$. Give your answer in interval notation.

15. Determine the domain of $f(x) = \ln(x-4)$. Give your answer in interval notation.

16. In the triangle below, $\sin \theta = \frac{2}{5}$. Determine $\cos \theta$.



Sketch graphs of the following functions. Label the *x*- and *y*-intercepts, if they exist. Draw in any asymptotes using dashed lines, and write the equation of the asymptote, if it exists.



20. Given the graph of f(x) below, draw the graph of -2f(x).

